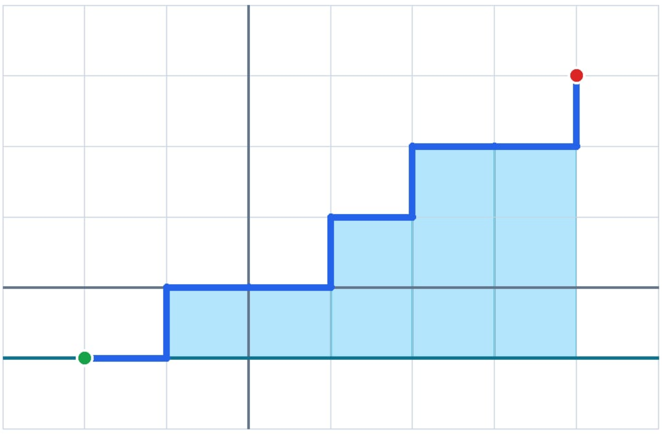
Back to school

Input file:	*standard input*
Output file:	*standard output*
Time limit:	2 seconds
Memory limit:	2048 MB

Four friends are preparing to go back to school next week after spending the whole summer solving programming problems. They do not want to return empty handed, so they decide to prepare a problem for their classmates.

Their problem is about paths on the grid. A path starts from a lattice point in the bottom-left quadrant of the plane and ends at a lattice point in the top-right quadrant. From the start point, the path may only move one unit to the right or one unit up at each step, until it reaches the end point.

For a fixed start point and end point, their problem asks for the sum of the areas below **all such paths**. The area below one path is the number of unit grid cells enclosed by the path, the horizontal line through the start point, and the vertical line through the end point. Equivalently, after translating the start point to $(0, 0)$, each move to the right contributes the current y coordinate of the path. The image below shows a path with an area of 10.



The four friends cannot agree on the exact start and end points. Instead, each friend chooses one coordinate independently:

- the x coordinate of the start point;
- the y coordinate of the start point;
- the x coordinate of the end point;
- the y coordinate of the end point.

The start point must be in the bottom-left quadrant, so both of its coordinates are negative integers. The end point must be in the top-right quadrant, so both of its coordinates are positive integers.

Not all coordinates are equally likely, instead, each friend will pick a coordinate from a given range, according to some given weights. If several possible values have weights $w_1, w_2, \ldots, w_k$, then the probability of choosing value i is:

$$\frac{w_i}{w_1 + w_2 + \cdots + w_k}$$

Compute the expected value of the answer to the friends' problem. It can be shown that the expected value can be written as an irreducible fraction $\frac{p}{q}$, where q is not divisible by 998244353. Print the value of $p \cdot q^{-1} \bmod 998244353$, that is, the unique integer x with $0 \le x < 998244353$ and $x \cdot q \equiv p \pmod{998244353}$.

Input

The first line contains four integers X_{min}, Y_{min}, X_{max}, and Y_{max}.

The second line contains $|X_{min}|$ integers. The i-th integer is the weight for choosing the start x coordinate equal to $-i$.

The third line contains $|Y_{min}|$ integers. The i-th integer is the weight for choosing the start y coordinate equal to $-i$.

The fourth line contains X_{max} integers. The i-th integer is the weight for choosing the end x coordinate equal to i.

The fifth line contains Y_{max} integers. The i-th integer is the weight for choosing the end y coordinate equal to i.

Constraints

- $-200000 \le X_{min}, Y_{min} \le -1$
- $1 \le X_{max}, Y_{max} \le 200000$
- Every weight is between 0 and 10^8
- The sum of weights on each of the four weight lines is at least 1 and at most 10^8

Output

Print a single integer: the expected value modulo 998244353.

Examples

standard input	standard output
-1 -1 1 1 1 1 1 1	12

standard input	standard output
-2 -1 1 2 1 1 1 1 1 1	499122217

standard input	standard output
-3 -2 2 1 0 2 1 5 0 4 1 2	47

Note

In the first example, the only possible start point is $(-1, -1)$ and the only possible end point is $(1, 1)$. The sum of the areas below all valid paths is 12.

In the second example, all four possible coordinate choices have equal probability. The corresponding sums of areas are 12, 30, 30, and 90, so the expected value is:

$$\frac{12 + 30 + 30 + 90}{4} = \frac{81}{2}$$

Modulo 998244353, this is 499122217.